

Psychology 312
Spring, 2015
Tentative Schedule of Activities

| Date | Topic(s) | Assigned Activities |
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| Wed 01/07 | <p>Course Introduction Administrative Details Overview of Multivariate Methods</p> <p>Mathematical Prerequisites</p> <p>Raw Scores, Deviation Scores, Z-scores The Algebra of Variances and Covariances Linear Transformations Linear Combinations Mean of a Linear Combination Variance of a Linear Combination Covariance of Two LCs</p> <p>Introduction to R Basic Computations and Linear Transformation in R Linear Combination in R</p> <p>Introduction to Matrix Algebra Types of Matrices Matrix Addition Transposition Scalar Multiples Scalar Products Matrix Multiplication</p> | <p>Install the latest version of <i>R</i> on your computer.</p> <p>Install the latest version of <i>RStudio</i> on your computer.</p> <p>When you receive an email from Piazza inviting you to join, please immediately join Piazza.</p> <p>Go to http://www.overleaf.com and register for the free account version of WriteLaTeX.</p> <p>Read:</p> <p>Harlow, Chapters 1–2 [[LH01.pdf, LH02.pdf]] Rencher, Chapter 1 [[AR01.pdf]] Handout Chapter 3, The Scalar Algebra of Variances and Covariances, [[Covariances.pdf]] p. 31–51 Handout, Chapter 4, Introduction to Matrix Algebra p. 53–60 [[Matrix.pdf]]</p> <p>Homework Assignment 1 Due 01/21</p> |
| Wed 01/14 | <p>Introduction to Matrix Algebra (ctd)</p> <p> Linear Combinations Sets of Linear Combinations Extracting Rows and Columns</p> <p>Inverse of a Square Matrix</p> <p>Matrix Algebra and Matrix Manipulation in R</p> <p>Matrix Algebra of Sample Statistics Means Deviation Scores Sums of Squares Sums of Cross-Products</p> | <p>Read:</p> <p>Handout Chapter 4, Introduction to Matrix Algebra p. 57–75</p> <p><i>R-intro</i> Handout, p. 1–22</p> |

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| <p>Wed 01/21</p> | <p>Matrix Algebra of Sample Statistics (ctd) Properties of the P and Q deviation score projector Variances and Covariances Covariance Matrices Diagonal Matrices and their Special Properties Roots and Powers of a Diagonal Matrix Correlation Matrices</p> <p>Eigenvalues and Eigenvectors</p> <p>Random Vectors and Random Matrices</p> <p>Matrix Expected Value Algebra</p> <p>Matrix Covariance Algebra for Sets of Linear Combinations</p> <p>Eigenvalues and Eigenvectors</p> | <p>Homework Assignment 2. Due Wednesday 02/04. Use R to do the computations for the last question.</p> <p>Download <i>R Utility Functions</i> and documentation from the R Code and Support Materials section of the website.</p> <p>Read:</p> <p>Handout Chapter 4, Introduction to Matrix Algebra p. 75-84</p> <p>Rencher, Chapter 02 (Optional).</p> |
| <p>Wed 01/28</p> | <p>Random Vectors and Random Matrices</p> <p>Matrix Expected Value Algebra</p> <p>Matrix Covariance Algebra for Sets of Linear Combinations</p> <p>Eigenvalues and Eigenvectors</p> <p>Eckart-Young decomposition of a symmetric Matrix</p> <p>Symmetric Powers of a Symmetric Matrix</p> <p>Matrix Factorization and Random Number Generation</p> <p>Defining our own matrix functions Creating Data with Exact Attributes Creating Samples from a Population with Known Attributes</p> | <p>Read:</p> <p>Homework Assignment 3, Due Wednesday 02/11</p> |

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| <p>Wed 02/04</p> | <p>Linear Regression Analysis</p> <p>Basics of Least Squares Linear Regression and Multiple Regression Algebra</p> <p>Introduction to the Geometry of Statistics Projection Operators</p> <p>Partial Covariance and Correlation Algebra</p> <p>Factor Analysis and Explanation of Variables in the “Partial Correlation Sense”</p> | <p>Read:</p> <p>Handout Chapter 5, The Algebra of Linear Regression and Partial Correlation. Gelman & Hill, Ch. 3 Gelman & Hill, Ch. 4 Weisberg, Ch. 1 Weisberg, Ch. 2 Wonnacott Ch 14 Wickens Ch 1–4 (Optional)</p> <p>Steiger(1994), pp. 201–207</p> |
| <p>Wed 02/11</p> | <p>The Determinant as Generalized Variance</p> <p>More Regression Algebra</p> <p>Multivariate Regression Systems with Latent Variables – Regression Component Analysis</p> <p>Principal Components as a Regression Component System.</p> <p>The “Fundamental Theorem of Factor Analysis” Multivariate Models as Data Constraints</p> <p>Spearman’s Tetrad Criterion</p> | <p>Handout, <i>Exploratory Factor Analysis with R</i> Handout, <i>Algebra of Factor Analysis</i></p> |

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| Wed 02/18 | <p>Practical Factor Analysis</p> <p>Principal Component Analysis with R and FactoMineR Exploratory Factor Analysis with R</p> | Homework Assignment 4, Due Wednesday 02/25 |
| Wed 02/25 | <p>The 3 Indeterminacies of Factor Analysis</p> <p>Simple Structure and Machine Rotation Orthogonal Rotation Oblique Transformation</p> <p>Bi-Factor Solutions – when “simple structure” fails</p> <p>Maximum Likelihood Estimation and Nonlinear Optimization in Factor Analysis</p> <p>Confirmatory Factor Analysis with R</p> <p>Path Diagrams and their Characteristics</p> <p>Confirmatory Factor Analysis as a Path Diagram</p> <p>Strict Confirmatory FA</p> <p>Jöreskog’s “Exploratory-Confirmatory” Approach</p> <p>Advanced Routines for Quick Confirmatory Factor Analysis using the sem package</p> | <p>Homework Assignment 5 Due March 11</p> <p>Handout, <i>Bifactor Rotation</i></p> <p>Handout, <i>Advanced Exploratory Factor Analysis</i> Handout, <i>Confirmatory Factor Analysis with R</i> Handout, <i>Advanced Confirmatory Factor Analysis with R</i></p> <p>Handout, <i>Path Diagrams</i></p> |
| Week 9 | | |
| | Spring Break – No Classes | |

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| Week 10 | | |
| Wed 03/11 | <p>Structural Equation Modeling</p> <p>Algebraic Models The LISREL Model The RAM Model The Bentler-Weeks Model</p> <p>Structural Equation Modeling – The Wheaton Model Example</p> | <p>Jöreskog(1978), section on Confirmatory Factor Analysis, p. 454–457</p> <p>Fox (2006) Handout, <i>Measures of Fit</i></p> |
| Week 11 | | |
| Wed 03/18 | <p>The RAM Model</p> <p>Practical Problems in CFA and Structural Equation Modeling Power Calculation Precision of Estimation Sample Size Estimation Handling iterative failure</p> <p>Canonical Correlation – Two-way simultaneous multiple regression</p> | <p>MacCallum, Browne, Sugawara (1996).</p> <p>Rencher, Chapter 11, <i>Canonical Correlation</i></p> <p>Homework Assignment 6, Due April 01</p> |
| Week 12 | | |
| Wed 03/25 | <p>Bias in Canonical Correlation – a demonstration</p> <p>Discriminant Analysis</p> <p>Stepwise Discriminant Analysis</p> | <p>Rencher, Chapter 8, <i>Discriminant Analysis</i></p> |
| Week 13 | | |
| Wed 04/01 | <p>Factorial ANOVA and the General Linear Model MANOVA</p> | <p>Homework Assignment 7, Due April 15 Reading TBA</p> |
| Week 14 | | |
| Wed 04/08 | <p>Hotelling's T^2</p> | |